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Abstract: We create and discuss several modifications to traditional graph coloring. In particular, we classify various notions of coloring in a proper hierarchy. We concentrate on grid graphs whose colorings can be represented by natural number entries in arrays with various restrictions.

Keywords: graph coloring, paths, conflict-free

AMS Subject Classification: Primary 05C15, 68R10

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